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TCP Variants and Transfer Time Predictability in Very High Speed Networks

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Abstract
In high performance distributed computing applications, data movements have demanding performance requirements such as reliable and predictable delivery. Predicting the throughput of large transfers is very difficult in paths that are heavily loaded with just a few big flows. This report explores how current high speed transport protocols behave and may improve transfer time predictability of gigabits of data among endpoints in a range of conditions. In a fully controlled long distance 10 Gbps network testbed, we compare several TCP variants behaviour in presence of diverse congestion level and reverse traffic situations. We show that these factors have a very strong impact on transfer time predictability of several transport protocols.

Keywords: bulk data transfers, bandwidth sharing, transfer delay predictability, transport protocol experimentation

Résumé
Dans les applications hautes performances de calcul distribué, les mouvements de données doivent fournir des garanties de performances, comme de la distribution fiable et prévisible. Prévoir le débit de larges transferts est difficile sur les chemins réseaux qui sont lourdement chargés par quelques gros flux. Ce rapport explore la façon dont les protocoles de transport haut débit se comportent et peuvent améliorer la prédicatabilité des temps de transferts de gigaoctets de données entre des noeuds d’extrémité dans un éventail de conditions. Dans un environnement de test complètement contrôlé avec un réseau longue distance à 10 Gbps, nous comparons le comportement de plusieurs variantes de TCP en présence de différents niveaux de congestion et trafic sur le chemin retour. Nous montrons que ces facteurs ont un impact très important sur la prédicatabilité du temps de transfert pour plusieurs protocoles de transport.

Mots-clés: partage de bande passante, expérimentation de protocole de transport, prédiction de temps de transfert total, transferts en masse de données
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1 Introduction

In high performance distributed computing, like experimental analysis of high-energy physics, climate modelling, and astronomy, massive datasets must be shared among different sites, and transferred across network for processing. The movement of data in these applications have demanding performance requirements such as reliable and predictable delivery [FFR04].

Generally, both distributed applications and high level communication libraries available on end systems use the socket API and TCP as transport protocol. TCP is a fully distributed congestion control protocol which statistically share available bandwidth among flows “fairly”. In Internet, where the endpoints’ access rates are generally much smaller (2 Mbps for DSL lines) than the backbone link’s capacity (2.5 Gbps for an OC48 link) these approaches used to be very efficient. It has also been shown that in such conditions, and particularly when the load is not too high and the degree of multiplexing in the bottleneck link is high, formula-based and history-based TCP throughput predictors give correct predictions [HDA05]. However for high-end applications, the bandwidth demand of a single endpoint (e.g. 1 Gbps) is comparable to the capacity of bottleneck link. In such a low multiplexing environment, high congestion level may be not rare and a transient burst of load on the forward or on the reverse path may cause active transfers to miss their deadlines. For example, this situation might occur when processes belonging to different applications are exchanging input and output files simultaneously.

The goal of this report is then to explore this issue and to examine how recent transport protocol enhancements could benefit to high-end applications in terms of data transfer efficiency and predictability in the absence of any access control and reservation mechanisms. It is centred on elephant-like bulk data transfers in very high-capacity (1 Gbps, 10 Gbps) networks these environments are supposed to benefit today and on new TCP variant protocols that are currently available on end nodes. The systematic evaluation of the protocols in a fully controlled and real testbed called Grid’5000 provides a set of measurements of transfer time in a broad range of conditions. We explore mainly three factors: synchronisation of start time, congestion level and reverse traffic.

The report is organised as follows. In section 2 several protocols enhancements proposed are briefly surveyed. Section 3 describes our experimental methodology and testbed. Experimental results are given and analysed in section 4. We study systematically three factors influencing the protocol behaviour and affecting the predictability of data transfers. Related works are reviewed in section 5. Finally, we conclude in section 6 and propose some perspectives for protocol and network service enhancement.

2 Transport protocol variants and their characterisation

The enhancement of TCP/IP has been intensively pursued to tackle limits encounter in large bandwidth-delay product environment [WHVBPa05]. Different TCP variants have been proposed to improve the response function of AIMD congestion control algorithm in large bandwidth delay product networks. All these protocols are not equivalent and behave differently according the network and traffic conditions. In this report we concentrate on the TCP variants available in all recent GNU/Linux kernel: High Speed TCP, Scalable TCP, Hamilton-TCP, BIC-TCP and CUBIC.

To analyse the acquired data, several metrics can be used to synthetically characterise the behaviour of different TCP variants [TMR07]. These metrics are: fairness, throughput, delay, goodput distribution, variance of goodput, utilisation, efficiency, transfer time. This paper is focused on the transfer time metric which can be considered as a throughput metric. Indeed, throughput can be measured as a router-based metric of aggregate link utilisation, as a flow-based metric of per-connection
transfer times, and as user-based metrics of utility functions or user waiting times. Throughput is distinguished from goodput, where throughput is the link utilisation or flow rate in bytes per second, and goodput, also measured in bytes per second, is the subset of throughput consisting of useful traffic. We note that maximising throughput is of concern in a wide range of environments, from highly-congested to under-utilised networks, and from long-lived to very short flows. As an example, throughput has been evaluated in terms of the transfer times for connections with a range of transfer sizes for evaluating Quick-Start, a proposal to allow flows to start-up faster than slow start [SAF06].

3 Methodology

This report is associated with the Grid’5000 project, an experimental grid platform gathering 2500 processors over nine geographically distributed sites in France. It allows dynamic deployment of network stacks. The network infrastructure (see Figure 1) is an interconnection of LANs (i.e. grid sites) and an 10 Gbps lambda-based private network [BCC+06]. We are using iperf, GNU/Linux kernel version 2.6.16 with Web100 patch and CUBIC patch to perform our experiments.

Figure 2 presents the topology used in our experiments. It is a classical dumbbell, with $N$ pairs of nodes able to send at 1 Gbps on each side. One flow by nodes’ pair is used to perform a file transfer. $N$ is subdivided into two parts, according to the function assigned to the nodes. $N_f$ refers to the number of flows on the forward path ($A \rightarrow B$) and $N_r$ the number of flows on the reverse path ($B \rightarrow A$). The bottleneck is the L2 switch. Here the Grid’5000 backbone could be the 10 Gbps link between Rennes and Toulouse (experiments at 19.8 ms RTT) or a 1 Gbps link between Rennes and Lyon (experiments at 12.8 ms RTT).

The congestion factor is defined as the ratio between the $N_f$ nodes’ nominal capacity and the bottleneck capacity. Similarly the reverse traffic factor is the ratio between the $N_r$ nodes’ nominal capacity and the bottleneck capacity. The multiplexing level is equal to $N_f$.

We explore starting time, congestion level and reverse traffic level parameters. We are considering several metrics, along with those defined in [GHK+07]. The primary metrics that will be used is the
mean completion time, defined as: $T = \frac{1}{N_f} \sum_{i=1}^{N_f} T_i$ where $T_i$ is the completion time of the $i^{th}$ $N_f$ file transfer (typically, with sizes of 30 GB).

Additionally, we also use the following metrics:

Max completion time: $T_{\text{max}} = \max(T_i)$

Min completion time: $T_{\text{min}} = \min(T_i)$

Standard deviation of completion time $\sigma_T = \sqrt{\frac{1}{N_{\text{forward}}} \sum_{n=1}^{N_{\text{forward}}} (T_i - \bar{T})^2}$

Completion time coefficient of variation $\text{CoV} = \frac{\sigma_T}{\bar{T}}$

that are more suited than just mean values to characterise the variability of completion time.

Each experiments for a given value of $N_f$, $N_r$ or protocols were executed at least three times to ensure that our measures were consistent. By choice of the volume to transfer, an experiment would last an average of 400 s. The full experiment set for this report amount to more than 100 hours of experiments, which shows that doing real experiments is very time consuming. Also the logs we captured are amounting to more than 1.5 GB, even though we didn’t take precise Web100 logs for every experiments.

4 Results

In this section, we present the experiments that were made using a 10 Gbps bottleneck in Grid’5000. They were all performed between the Toulouse’s cluster (Sun Fire V20z) and Rennes’ cluster Parasol (Sun Fire V20z). The bottleneck is the access link of both sites. It is the output port of a 6500 Cisco in the Toulouse’s cluster and a 6509 Cisco in the Rennes’ cluster Parasol.

4.1 Influence of starting time

The interval between each flow’s start is of importance as losses during slow start lead to ssthreshold moderation and may limit the achievable throughput during the whole transfer. Figure 3 illustrates the worst case: starting all flows simultaneously (within the same second) has the worst impact on the completion time of the flows and the best case: starting every flow outside the slow start phase of the
Figure 3: Influence of flows’ inter-arrival on BIC: 1.7 congestion level (17 flows), 19.8 ms RTT
others. The upper Figure 3(a) exhibits a set of flows experiencing drops during their slow start phase. These were unable to obtain a correct share during the rest of the experiment. Other grabbed a large portion of the bandwidth and completed in a short time (300 s). Even though the mean completion time in the worst case is better in Figure 3(b) (409 s vs 425 s), it has a much larger standard deviation (83 vs 28) than in the best case. We note that this parameter is especially important for the less aggressive TCP variants as they require a longer time to recover from these losses.

For the rest of our experiments, we choose to set the starting delay between transfers to 1 s to avoid potential harm from this parameter as in the best case, slow start takes in the best case $(\log_2 N - 1) \times RTT$, for a congestion window of N packets [Jac88]. For a 19.7 ms RTT, $N \approx 1600$ and slow start lasts about 200 ms.

### 4.2 Congestion level

In this section, we are considering the impact of the congestion level factor alone on different TCP variants.

#### 4.2.1 General Behaviour

Figure 4 shows the impact of high congestion level on every TCP variants. For example, we observe that the predictability of a transfer time with Scalable is bad as there is more than 300 s between the first and the last completion time. Even though each protocol is able to completely fill the link, they all have a different behaviour. The bandwidth sharing with Reno, BIC, CUBIC, Highspeed and H-TCP is fair among the various transfers leading to a smaller variance in the completion time.

#### 4.2.2 Modelling

Table 1 presents the coefficients obtained through a linear regression of the mean transfer time for every TCP variant tested without reverse traffic. The models are only valid for congestion levels above or equal to 1.0. The linear model seems to fit fairly for most of the TCP variants for the range of congestion level studied (determination coefficient above 0.99). The only exception is Scalable for which the following model: $130.4 \times X^2 - 234.83 \times X + 454.83$ seems to be more suited (determination coefficient = 0.996432). These models are used in Figure 5 that presents the impact of the congestion level on mean completion time for several TCP. The ideal TCP represented on the same figure corresponds to a TCP able to send continuously over 1 Gbps links, without slow start phase, without

<table>
<thead>
<tr>
<th>TCP variant</th>
<th>aX</th>
<th>b</th>
<th>Correlation coefficient ($r$)</th>
<th>Determination coefficient ($R^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reno</td>
<td>267.68</td>
<td>0.090</td>
<td>0.993037</td>
<td>0.98612</td>
</tr>
<tr>
<td>BIC</td>
<td>217.96</td>
<td>85.97</td>
<td>0.984242</td>
<td>0.968732</td>
</tr>
<tr>
<td>Cubic</td>
<td>242.36</td>
<td>34.39</td>
<td>0.999619</td>
<td>0.999239</td>
</tr>
<tr>
<td>Highspeed</td>
<td>251.35</td>
<td>25.87</td>
<td>0.999134</td>
<td>0.99827</td>
</tr>
<tr>
<td>H-TCP</td>
<td>244.31</td>
<td>43.24</td>
<td>0.9989</td>
<td>0.9978</td>
</tr>
<tr>
<td>Scalable</td>
<td>182.45</td>
<td>136.21</td>
<td>0.977145</td>
<td>0.954812</td>
</tr>
</tbody>
</table>

Table 1: Linear regression for mean transfer time as a function of the congestion level without reverse traffic.
Figure 4: Impact of a high congestion level: 2.1 congestion level (21 flows), 19.8 ms RTT, on CUBIC and Scalable
losses or retransmissions and with equal sharing of the bottleneck link. All protocols, except Scalable, behave similarly: Our previous work \cite{GHK07} has shown that for the RTT used in our experiments here, most TCP variants tend to have similar performance.

We can see that the models are continuous but not differentiable when congestion appears. The completion time of transfers is nearly constant when there is no congestion. Scalable is displaying an asymptotic behaviour. The fact that the slopes for CUBIC and the ideal TCP are very close (242 to 252) might indicate that for a greater number of transfers we may observe an asymptotic behaviour too. It may be linked to aspects of Altman’s modelling of TCP Reno using parallel transfers \cite{ABTV06}.

### 4.2.3 Predictability

Figure 6 presents the completion time distribution of all the TCP variants. Scalable is somewhat remarkable as it is often displaying the shortest and the longest completion time for a given $N_f$. Even though both distributions are roughly Gaussian-shaped, Scalable is more spreaded out (294 s vs 114 s for the 2.1 congestion level case) than CUBIC for instance. It makes Scalable a poor choice if we need to wait for all transfers to complete. But if we can start computation on a limited dataset (like a DNA sequencing), we might be able to increase the usage of the computation nodes. It might not be the case in other applications like astronomy interferometry that will need full transfer of all images before the start of a computation phase. It seems that HighSpeed TCP is the best choice if we are interested in good predictability, as it has the lowest dispersion of all protocols for high congestion levels.

Figure 7 presents the evolution of the completion time CoV for all the TCP variants tested. Here we can see that they all display the same kind of tendency as they all seem to be following a parabola as the congestion level increases. The apex of the parabola seems to depend on the protocol. This behaviour might indicate that there is a congestion level/multiplexing level region in which we should not be so as to minimise the variability of our completion time (and thus increase the predictability)
Figure 6: Completion time distribution for several TCP variants, 19.8 ms RTT
We can also note that most TCP variants’ CoV stays below 6%. This means that if we are not able to control the way transfers are started to ensure that we are well under the congestion level, we would have to consider at least a 6% margin on an estimated completion time to be sure not to fail the deadline in the case when there is no reverse traffic. If we assume that the distribution of the completion time is indeed Gaussian, using such a margin would provide a 68% confidence interval for the completion of our transfers. If we want a more precise (say 95% confidence interval), we would need to push the margin up to 12%. But adding such a big margin is not the best solution, especially if the transfers have very strict windows and if we want to be efficient.
4.3 Reverse traffic impact

The reverse traffic here consists in similar large 30 GB file transfers as in the forward path. The reverse transfers are started after the forward transfers with the same interval of 1 s to prevent interactions during the slow start phase just as stated in Section 4.1. We are only considering what is happening on the transfer time for the forward path when there is reverse traffic.

4.3.1 General behaviour

In Figure 8, we compare the impact of a non-congesting (0.9) and a congesting (1.1) reverse traffic level for a given congestion level (1.8) on the aggregate goodput of all the participating transfers. Here again, we can observe that most protocols present a very similar pattern. For the non-congesting case, they all present some sort of hollow during the period in which the transfers on the reverse path are active that is likely to be caused by the bandwidth taken by the ACKs from the reverse traffic (about 200 Mbps). H-TCP and Reno are the only protocols whose aggregate goodput displays some instabilities. The other are mostly stable during the period.

For the congesting case, we can see that the aggregate goodput is not stable at all for most protocols and we can observe aggregate goodput drops of more than 2 Gbps that last for more than a few seconds for some protocols like CUBIC. It seems to be due to synchronises losses on the forward path. This indicates that we are clearly not efficient and that have congesting reverse traffic might lead to miss deadlines if it is not taken into account. Scalable is the protocol that seems to be the least impacted by this phenomena as the amplitude of the aggregate goodput spikes are less than 1 Gbps.

4.3.2 Multiplexing factor

In Figure 9, we observe that reverse traffic has a huge impact, as aggregated goodput is nearly halved during reverse traffic presence and the latest completion time goes from 562 s to 875 s. In this experiment, only a small number of flows (2) were used as the bottleneck size is 1 Gbps.

In the following experiment, as shown on Figure 10, the bottleneck size is 10 Gbps and we were using ten times more flows than in the previous setting. In this configuration, we observe that the multiplexing level (or number of nodes emitting simultaneously) is an important parameter as for similar congestion and reverse traffic level using a more important number of nodes yield better results: about 617 s (30 % faster). Even though, we observe that the aggregate goodput is also deeply affected in Figure 10; its variation only amounts up to 20 % of the available bandwidth. In the Figure 9, the variation is more like 50 % of the available bandwidth.

4.3.3 Modelling

In this section, we try provide models for the TCP variants’ mean completion time as a function of the congestion level under reverse traffic. They are given in Table 2, 3, 4 and 5. Linear models seem to fit rather well (determination coefficient above 0.98). The only exception is again Scalable, like in Table 1 for which a linear model doesn’t fit well (determination coefficients varying between 0.87 and 0.96). Using regression with an higher polynomial degree doesn’t see to improve much the accuracy of the model. It could mean that the variability already noticed of Scalable is too important and that 3 instances of a given test weren’t just enough to capture a good modelling of it.

The slopes for 0.7, 1.1 and no reverse traffic level are very similar to each other for most protocols. It indicates that reverse traffic’s impact could be seen as a reduction of the available bandwidth.
Figure 8: Comparison of aggregate goodput for 1.8 congestion level according to the level of reverse traffic
Figure 9: Impact of reverse traffic: CUBIC, 2.0 congestion level (2 flows), 12.8 ms RTT

Figure 10: Impact of reverse traffic: CUBIC, 2.0 congestion level (20 flows), 19.8 ms RTT

<table>
<thead>
<tr>
<th>TCP variant</th>
<th>$aX$</th>
<th>$b$</th>
<th>Correlation coefficient ($r$)</th>
<th>Determination coefficient ($R^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reno</td>
<td>253.36</td>
<td>36.06</td>
<td>0.997649</td>
<td>0.995304</td>
</tr>
<tr>
<td>BIC</td>
<td>179.92</td>
<td>121.30</td>
<td>0.986541</td>
<td>0.973263</td>
</tr>
<tr>
<td>Cubic</td>
<td>239.69</td>
<td>48.34</td>
<td>0.998873</td>
<td>0.997747</td>
</tr>
<tr>
<td>Highspeed</td>
<td>245.75</td>
<td>41.14</td>
<td>0.997585</td>
<td>0.995176</td>
</tr>
<tr>
<td>H-TCP</td>
<td>233.93</td>
<td>62.94</td>
<td>0.997989</td>
<td>0.995981</td>
</tr>
<tr>
<td>Scalable</td>
<td>180.65</td>
<td>145.08</td>
<td>0.981012</td>
<td>0.962385</td>
</tr>
</tbody>
</table>

Table 2: Linear regression for mean transfer time as a function of the congestion level with 0.7 reverse traffic level (7 flows)
### Table 3: Linear regression for mean transfer time as a function of the congestion level with 0.9 reverse traffic level (9 flows)

<table>
<thead>
<tr>
<th>TCP variant</th>
<th>aX</th>
<th>b</th>
<th>Correlation coefficient (r)</th>
<th>Determination coefficient ($R^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reno</td>
<td>191.51</td>
<td>139.39</td>
<td>0.969688</td>
<td>0.940295</td>
</tr>
<tr>
<td>BIC</td>
<td>179.24</td>
<td>134.34</td>
<td>0.992168</td>
<td>0.984398</td>
</tr>
<tr>
<td>Cubic</td>
<td>207.71</td>
<td>96.70</td>
<td>0.992791</td>
<td>0.985633</td>
</tr>
<tr>
<td>Highspeed</td>
<td>214.97</td>
<td>89.60</td>
<td>0.993478</td>
<td>0.986999</td>
</tr>
<tr>
<td>H-TCP</td>
<td>217.21</td>
<td>92.88</td>
<td>0.980346</td>
<td>0.961079</td>
</tr>
<tr>
<td>Scalable</td>
<td>132.0</td>
<td>223.95</td>
<td>0.932952</td>
<td>0.8704</td>
</tr>
</tbody>
</table>

### Table 4: Linear regression for mean transfer time as a function of the congestion level with 1.1 reverse traffic level (11 flows)

<table>
<thead>
<tr>
<th>TCP variant</th>
<th>aX</th>
<th>b</th>
<th>Correlation coefficient (r)</th>
<th>Determination coefficient ($R^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reno</td>
<td>215.50</td>
<td>116.5</td>
<td>0.979549</td>
<td>0.959516</td>
</tr>
<tr>
<td>BIC</td>
<td>224.08</td>
<td>95.41</td>
<td>0.993439</td>
<td>0.986921</td>
</tr>
<tr>
<td>Cubic</td>
<td>242.08</td>
<td>74.02</td>
<td>0.990941</td>
<td>0.981964</td>
</tr>
<tr>
<td>Highspeed</td>
<td>232.0</td>
<td>86.47</td>
<td>0.977549</td>
<td>0.955603</td>
</tr>
<tr>
<td>H-TCP</td>
<td>217.61</td>
<td>131.08</td>
<td>0.981187</td>
<td>0.962727</td>
</tr>
<tr>
<td>Scalable</td>
<td>174.23</td>
<td>167.61</td>
<td>0.951737</td>
<td>0.905804</td>
</tr>
</tbody>
</table>

### Table 5: Linear regression for mean transfer time as a function of the congestion level with symmetric reverse traffic level

<table>
<thead>
<tr>
<th>TCP variant</th>
<th>aX</th>
<th>b</th>
<th>Correlation coefficient (r)</th>
<th>Determination coefficient ($R^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reno</td>
<td>304.88</td>
<td>-12.34</td>
<td>0.993149</td>
<td>0.986344</td>
</tr>
<tr>
<td>BIC</td>
<td>280.5</td>
<td>24.66</td>
<td>0.999728</td>
<td>0.999456</td>
</tr>
<tr>
<td>Cubic</td>
<td>268.7</td>
<td>35.93</td>
<td>0.998006</td>
<td>0.996016</td>
</tr>
<tr>
<td>Highspeed</td>
<td>310.52</td>
<td>-18.49</td>
<td>0.996203</td>
<td>0.99242</td>
</tr>
<tr>
<td>H-TCP</td>
<td>275.84</td>
<td>60.05</td>
<td>0.998776</td>
<td>0.997553</td>
</tr>
<tr>
<td>Scalable</td>
<td>203.75</td>
<td>131.078</td>
<td>0.969326</td>
<td>0.939592</td>
</tr>
</tbody>
</table>

Table 3: Linear regression for mean transfer time as a function of the congestion level with 0.9 reverse traffic level (9 flows)

Table 4: Linear regression for mean transfer time as a function of the congestion level with 1.1 reverse traffic level (11 flows)

Table 5: Linear regression for mean transfer time as a function of the congestion level with symmetric reverse traffic level
Figure 11: Impact of the reverse traffic on the mean completion time for Reno, 19.8 ms RTT

Figure 12: Impact of the reverse traffic on the mean completion time for BIC, 19.8 ms RTT
Figure 13: Impact of reverse traffic level on mean completion time for CUBIC, 19.8 ms RTT

Figure 14: Impact of the reverse traffic on the mean completion time for Highspeed, 19.8 ms RTT
Figure 15: Impact of the reverse traffic on the mean completion time for H-TCP, 19.8 ms RTT

Figure 16: Impact of the reverse traffic on the mean completion time for Scalable, 19.8 ms RTT
Figure 17: Effect of various reverse traffic levels on a fixed congestion level for CUBIC, 19.8 ms RTT

Figure 11, 12, 13, 14, 15 and 16 present the effect of different levels of reverse traffic on the mean completion time for every protocol.

For instance for CUBIC (Figure 13), we can see that for reverse traffic level lower than 1.0, its effect is limited on the mean completion time (about 2.5%). The fluctuations observed for 0.9 reverse traffic level are mainly due to the fact that we are close to the congestion gap and thus to a very unstable point. When the reverse traffic is congesting, we observe that the difference with the case without reverse traffic is much more important (about 10%).

Some other results are also very interesting, such as the fact that for BIC in Figure 12 adding a little dose of reverse traffic (i.e. non-congesting) seems to be interesting as it appears to be more efficient in these conditions, especially if the congesting level is high. Similar behaviours may be seen in other protocols, for H-TCP (Figure 15) and for Highspeed (Figure 14), but it only seems to occur for very large value of congestion level.

All in all, we can see that the protocols are reacting to the fact that the reverse traffic is congesting or not as it can be seen on Figure 17 for CUBIC. There we can see that once the reverse traffic is congesting, there is little more effect on the protocol behaviour (lower part of Figure 17).

4.3.4 Predictability

Figures 18, 19, 20, 21, 22 and 23 present the impact of different reverse traffic conditions on the coefficient of variation for all the TCP variants tested in this report.
Here it seems that for most TCP variants, having reverse traffic might be a good thing as we can observe lower CoV than in the case where there is no reverse traffic, that is to say less variability. It may not be enough to determine which conditions are optimal to achieve the best performance possible in terms of completion time as the CoV is inversely proportional to the mean completion time.

For instance, we can observe that for BIC in Figure [19] that the cases where a little reverse traffic was improving the mean completion time (see Figure [12]) is a disaster in terms of variability as the CoV nearly doubles. In some cases like HTCP (see Figure [22]), as the mean completion for small values of reverse traffic are very close to the no reverse case, as we have lower value for the CoV that means that the standard deviation is lower too, which is a good thing if we are looking for a protocol for which we want to have predictable results. Most protocols, except BIC, have a CoV that remains below 6 % under most reverse traffic conditions. So again with a reasonable margin, we could find a way for all protocols to finish within their deadline, if we don’t forget that the estimated mean completion time should be increased by about 15 % if we think that there might be congesting traffic on the reverse path. It might be a major drawback as in this case, we probably won’t be optimal.
Figure 19: Evolution of the completion time coefficient of variation for different reverse traffic level for BIC, 19.8 ms RTT

Figure 20: Evolution of the completion time coefficient of variation for different reverse traffic level for CUBIC, 19.8 ms RTT
Figure 21: Evolution of the completion time coefficient of variation for different reverse traffic level for Highspeed, 19.8 ms RTT

Figure 22: Evolution of the completion time coefficient of variation for different reverse traffic level for H-TCP, 19.8 ms RTT
Figure 23: Evolution of the completion time coefficient of variation for different reverse traffic level for Scalable, 19.8 ms RTT
5 Related works

High Speed transport protocol design and evaluation is a hot research topic [VBTK06, GG07, XHR04, KHR02]. Several papers have compared the protocol by simulations and real experiments [CAK+05, ELL06]. These works are general works and focus on analysing the behaviour of these protocols in high speed Internet context. Several methodologies and results have been proposed by [LLS06, Flo06, HLRX06] to identify characteristics, describes which aspect of evaluation scenario determine these characteristics and how they can affect the results of the experiments. These works helped us in defining our workloads and metrics. Our work focus on shared high speed networks dedicated to high performance distributed applications and on the transfer delay metric.

On transfer delay predictability, Gorinsky [GR06] has shown that to complete more tasks before their respective deadlines, sharing instantaneous bandwidth fairly among all active flows is not optimal. For example, it may be beneficial to allow a connection with larger pending volume and earlier deadline to grab more bandwidth in a given period, as the Earliest Deadline First scheduling in real-time systems [SSNB95]. [BP07] introduces access control and flow scheduling in grid context. This harmonises network resource management with other resources management and serve the global optimisation objective.

To provide bulk data transfer with QoS as Agreement-Based service in Grids, Zhang et. al. [ZKA04] evaluate the mechanisms of traffic prediction, rate-limiting and priority-based adaptation. In this way, agreements which guarantee that, within a certain confidence level, file transfer can be completed under a specified time are supported. Similarly, [YSF05] also considers statistical guarantees.

[MV06] also proposes a study of the impact of reverse traffic on TCP variants, but it is only providing NS-2 simulations with a 250 Mbps bottleneck and a small number of nodes. He is only focusing on the impact on link utilisation, but our results are very similar (reduction of the global amount of bandwidth available for the application level). He is also considering a much larger range of RTT than us.

6 Conclusion

This paper uses real experiments to examine the impact of a range of factors on transfer delay predictability in classical bandwidth sharing approach proposed by high speed TCP-like protocols. These factors are difficult to capture in classical analytic formulations. New models are then needed. We show that when bulk data transfers start simultaneously, transfer time efficiency and predictability are strongly affected. When the congestion level is high (> 1.2) both transfer time efficiency and predictability depend on the chosen protocol. The most important factor this study reveals is the reverse traffic impact. It strongly affects all protocols. We conclude that flow scheduling service controlling the starting time and the congestion level in forward and reverse path is mandatory in these low multiplexing environments. Such service, combined with an adaptable and very responsive protocol which can fully exploit a dynamic and high capacity, could be a solution to provide a good transfer time predictability to high end applications. We plan to design, develop and experiment such a service in the Grid’5000 context.

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References


Transfer Time Predictability


